## Unit 2: Sections 3.4-4.4 Skill Set

## Section 3.4: Derivatives of Trigonometric Functions

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Evaluate a limit involving $(\sin \mathrm{x}) / \mathrm{x}$ or $(\cos \mathrm{x}-1) / \mathrm{x}$. | $7,10,11$, <br> 13,39 | 9 |
| Differentiate a function involving trigonometric functions. | $15,19,22$, <br> 27,45 | $17,24,28$, <br> 34,48 |
| Evaluate a limit involving a trigonometric function. | 43 | 41,42 |
| Find the tangents to a curve at a given point. Then, graph the <br> curve and the tangent line on the same set of axes. | 50 | 51 |
| Determine if and where a graph has a tangent line of given <br> slope. |  | 54,55 |
| Determine the value of a constant for which a function is <br> continuous at a given input. | 65 | 64 |

Additional Suggested Problems: 1, 3, 6, 37, 56, 58, 61, 67, 68

## Section 3.5: Derivatives as Rates of Change

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Solve and interpret a rate of change application. | $9,17,28,29$ | 27,30 |
| Graph a position function. Find and graph the associated <br> velocity function and interpret positive and negative movement. <br> Evaluate the associated velocity and acceleration functions at a <br> given time value. | 11,15 | 13 |

Additional Suggested Problems: 1, 4, 5, 25, 37, 47, 49

## Section 3.6: The Chain Rule

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Use the Chain Rule to differentiate a composite function. | $9,16,17$, <br> $20,25,37$, <br> 39 | $7,10,13$, <br> $15,18,27$, <br> $(29,30), 51$ |
| Write a composite function in the form of its two (composing) <br> functions. |  | 29,30 |
| Given values for functions and their derivatives at a point, find <br> the value of a derivative at that given point. | 31,61 |  |
| Find the tangents to a curve at a given point. | 57,59 |  |

Additional Suggested Problems: 2, 4, 5, 6, 45, 47, 53, 54, 65, 69, 71

## Section 3.7: Implicit Differentiation

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Use implicit differentiation to find dy/dx. <br> (first derivative = rate of change) | $5 \mathrm{a}, 9 \mathrm{a}, 11$, <br> 15 | $7 \mathrm{a}, 19,37$ |
| Use implicit differentiation to find the slope of the tangent line <br> to a curve at a point. | $5 \mathrm{~b}, 9 \mathrm{~b}$ | $7 \mathrm{~b}, 41,44$ |
| Verify that the given point lies on the curve. Then, determine <br> the equation of the line tangent to the curve at the given point. | 21,23 | 26 |
| Use implicit differentiation to find the second derivative. | 28 | 31 |
| Find the lines that are tangent and/or normal to a curve at a <br> given point. | 49,61 | $59,64,65$ |

Additional Suggested Problems: 1, 2, 47, 51, 52, 67

## Section 3.8: Related Rates

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Solve applications involving related rates using the problem  <br> strategy on p. 167. $5,7,17,21$, | $9,19,22$, <br> $23,26,27$, <br> 29 |  |

Additional Suggested Problems: 11, 20, 33, 37, 38

## Section 4.1: Maxima and Minima

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Find extreme values and where they occur given a graph. | $11,13,17$ | 15 |
| Sketch a graph with the given properties. | 19 | 21 |
| Find the critical points of a function and determine the local <br> extreme values. | 25 | $23,27,29$ |
| Find the absolute extrema of a function on a given interval and <br> where they occur. | 33,36 | $31,37,39$ |
| Solve applications by finding extreme values. | 41 | 44,64 |

Additional Suggested Problems: 1, 2, 3, 4, 5, 6, 7, 8, 45, 46, 47, 51, 52, 65, 68

## Section 4.2: What Derivatives Tell Us

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Given the graphs or conditions of the first and/or second <br> derivative, sketch a graph of the function. | $11,13,39$, <br> 41,65 | $14,15,59$ |
| Find the intervals on which a function is increasing or <br> decreasing. | $17,20,25$ | 23,27 |
| Find the critical points of a function and determine any local <br> extreme values and where they occur. | 31 | $29,51,55$ |
| Locate and identify the absolute extreme values of a function. | $43,45,48$ | 46 |
| Find the intervals on which a function is concave up or concave <br> down and identify and inflection points. | 46 |  |
| Match graphs with a function, its derivative, and its second <br> derivative. Explain reasoning. | 61 | 62 |
| Given the graph of the first derivative of a function, find <br> intervals of increase/decrease, intervals of concave up/concave <br> down, critical points, local extrema, and inflection points. <br> Sketch the corresponding graph of the second derivative and a <br> possible graph of the original function. | 67 |  |

Additional Suggested Problems: 3, 5, 6, 8, 9, 57, 68

## Section 4.3: Graphing Functions

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Given the graphs or conditions of the first and/or second <br> derivative, sketch a graph of the function. | 8 | 7 |
| Use the steps of the graphing procedure on p. 200 - 201 to graph <br> an equation including coordinates of local extrema, inflection <br> points, and x- and y-intercepts. | $9,11,17$, <br> 23,24 | $15,18,41$ |
| Given the first derivative of a continuous function, sketch the <br> general shape of the function. | 34,35 | 36 |
| Given the graph of the first and second derivatives of a function, <br> find intervals of increase/decrease, intervals of concave <br> up/concave down, critical points, local extrema, and inflection <br> points. Sketch the corresponding graph of the original function. | 39 | 38 |

Additional Suggested Problems: 3, 4, 33, 43, 44, 45, 46

## Section 4.4: Optimization Problems

| Assessment Item | Correlated <br> MML <br> Problems | Textbook |
| :--- | :--- | :--- |
| Solve applied optimization problems. (Model a situation with an <br> equation, find the appropriate absolute extreme providing work <br> necessary to support the result, and interpret in the context of the <br> problem.) | $7,9,11,12$, <br> 15,23 | $5,9,10 \mathrm{ab}$, <br> 13,19, <br> $26 \mathrm{ab}, 28,46$ |

Additional Suggested Problems: 3, 4, 6, 8, 24, 25, 26c, 51, 54a

