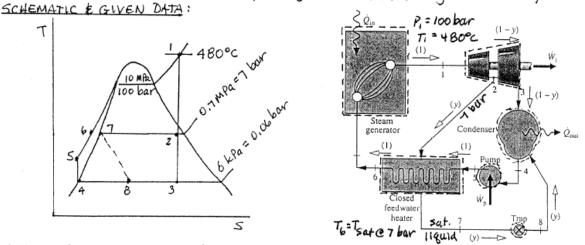
PROBLEM 8.49

KNOWN: Water is the working fluid in an ideal regenerative Rankine cycle with one closed feedwater heater. Data at various locations are known.

<u>EIND</u>: Determine (a) the rate of heat addition per kg of steamentering the first-stageturbine, (b) the thermal efficiency, and (c) the rate of heat transfer for the condenser per kg of steam entering the first-stage turbine.



ENGINEERING MODEL: (1) Each component is modeled as a central volume at steady State. (2) There are no stray heat transfers, (3) The working fluid undergoes an internally reversible process in passing through each component except the trap. (4) For the trap, h₇=h₈ (throttling process). (5) Kinetic and potential energy effects are negligible.

ANALYSIS: First, fix each principal state.

State 1:
$$p_1 = 100 \text{ bar}, T_1 = 480^{\circ}\text{C} \Rightarrow h_1 = 3321.4 \text{ b}\text{J} [kg, s_1 = 6.5282 \text{ b}\text{J} kg \text{K} \text{State 2: } p_2 = 7 \text{ bar}, s_2 = s_1 \Rightarrow x_2 = \frac{s_2 - 542}{5g_2 - 542} = 0.9619$$
, $h_2 = 2684.8 \text{ b}\text{J} kg$
State 3: $p_2 = 0.06 \text{ bar}, s_3 = s_2 \Rightarrow x_3 = 0.7642$, $h_3 = 2009.8 \text{ b}\text{J} kg$
State 4: $p_4 = 0.06 \text{ bar}, s_3 = s_2 \Rightarrow x_3 = 0.7642$, $h_3 = 2009.8 \text{ b}\text{J} kg$
State 5: $h_5 \approx h_4 + TQ (p_5 - P_4)$
 $= 151.53 + (1.0064 \times 10^2) \frac{m^3}{kg} (100 - 0.06) \text{ bar} \left| \frac{10^5 \text{ N} (m^2}{10^3 \text{ N} \cdot \text{m}} \right| \frac{1 \text{ k}\text{J}}{10^3 \text{ N} \cdot \text{m}} \right|$
 $= 151.53 + (1.0064 \times 10^2) \frac{m^3}{kg} (100 - 0.06) \text{ bar} \left| \frac{10^5 \text{ N} (m^2}{10^3 \text{ N} \cdot \text{m}} \right| \frac{1 \text{ k}\text{J}}{10^3 \text{ N} \cdot \text{m}} \right|$
 $= 151.53 + (0.066 = 161.59 \text{ k}\text{J} \text{kg})$
State 6: $T_{544} + 0.976 \text{ bar} = 165.0^{\circ}\text{C} \Rightarrow h_c \approx h_c C_{77} = 697.22 \text{ k}\text{J} \text{lkg}$
State 6: $T_{544} + 0.976 \text{ bar}$, $s_67.122 \text{ k}\text{J} \text{lkg}$
State 8: $h_8 = h_7 = 697.22 \text{ k}\text{J} \text{lkg}$
(a) For the steam generator
 $\text{Qin}/\text{m}_1 = h_1 - h_6 = (3321.4 - 697.22) = 2.624 \text{ k}\text{J} \text{lkg} \text{ c}$
 $\frac{3 \text{ k}^6 - h_5}{h_2 - h_7} = \frac{697.22 \text{ k}\text{J} \text{lkg}}{2684.8 - 697.22} = 0.2695$
For a control volume enclosing the turbine stages
 $\text{Wt}/\text{m}_1 = (h_1 - h_2) + (1 - y) (h_2 - h_3)$
 $= (3321.4 - 2684.8) + (1 - 0.2695)(2684.8 - 2009.8) = 1129.7 \text{ k}\text{J}/\text{kg}}$
For the pump
 $\text{Wp}/\text{W}_1 = h_5 - h_4 = 161.59 - 151.53 = 10.06 \text{ k}\text{J}/\text{kg}}$

Continued on next slide

Excerpts from this work may be reproduced by instructors for distribution on a not-for-profit basis for testing or instructional purposes only to students enrolled in courses for which the textbook has been adopted. Any other reproduction or translation of this work beyond that permitted by Sections 107 or 108 of the 1976 United States Copyright Act without the permission of the copyright owner is unlawful.

Problem 8-49 continued

The net power developed, per unit mass entering the first-stage turbine, is $\frac{\dot{W}_{cycle}}{\dot{m_1}} = \frac{\dot{W}_{t}}{\dot{m_1}} - \frac{\dot{W}_{p}}{\dot{m_1}} = 1129.7 - 10.06 = 1119.6 \text{ kJlkg}$ And the thermal efficiency is $N = W_{cycle}/\dot{Q}_{in} = -1119.6/2624 = 0.427(42.7\%) - \frac{h}{(42.7\%)}$ (c) For the condenser $\frac{\dot{Q}_{out}}{\dot{m_1}} = (1-y)h_3 + yh_8 - h_4$ = (1 - 0.2695)(3321.4) + (0.2695)(697.22) - 151.53 = 1504.1 kJlkg